

Probabilistic Atmospheric characterization : **relevant Shear and Turbulence Intensity statistics**

towards effective specification for
power curves, loads, ...

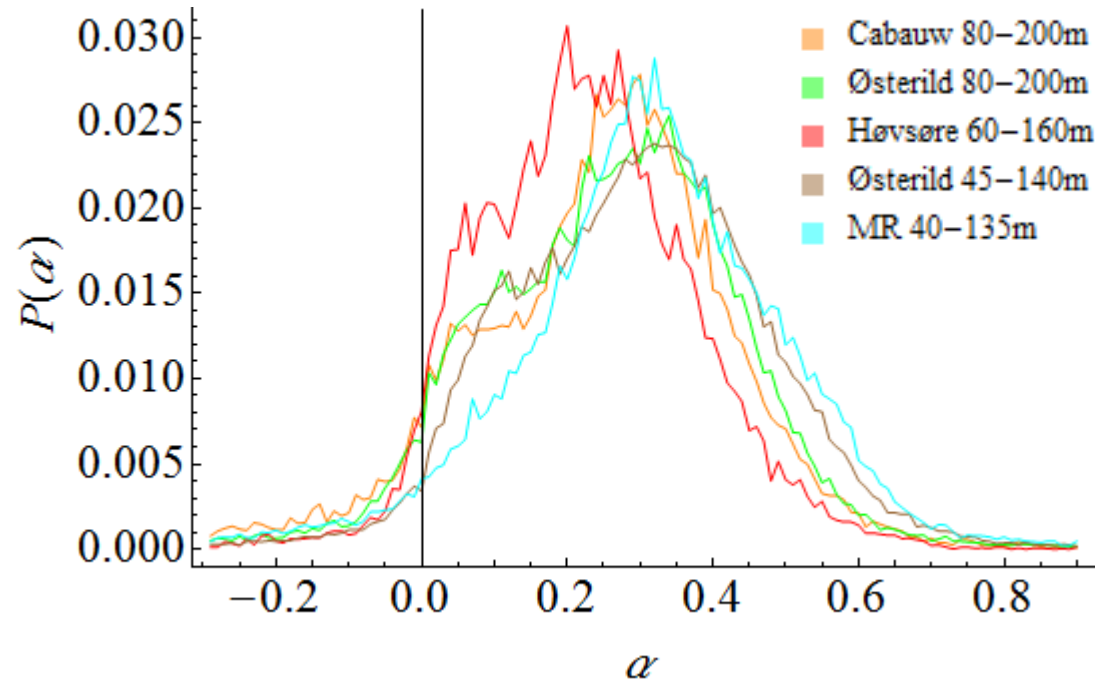
Mark Kelly, *MET section*

2013-14

funded in part by EUDP "tall wind turbine basis" project 64011-0352

Shear Exponent α :

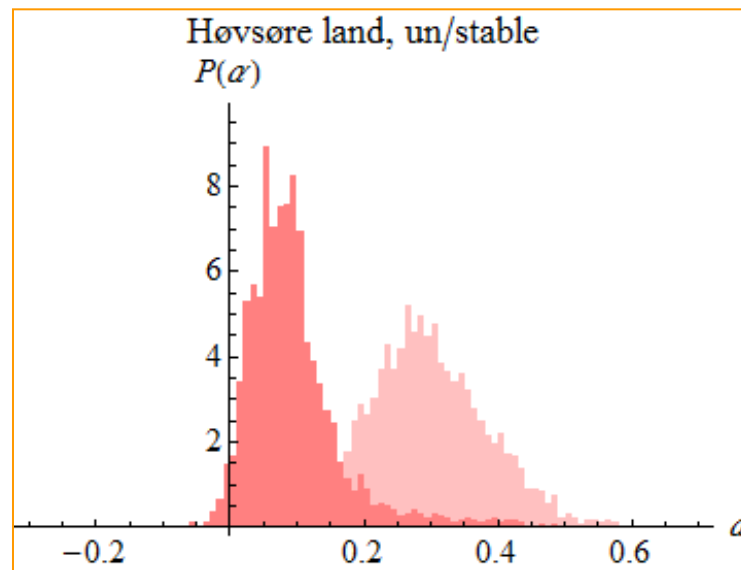
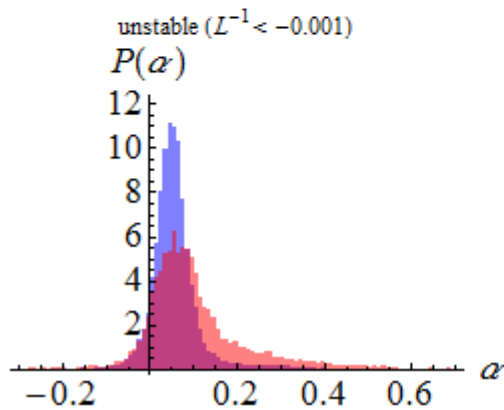
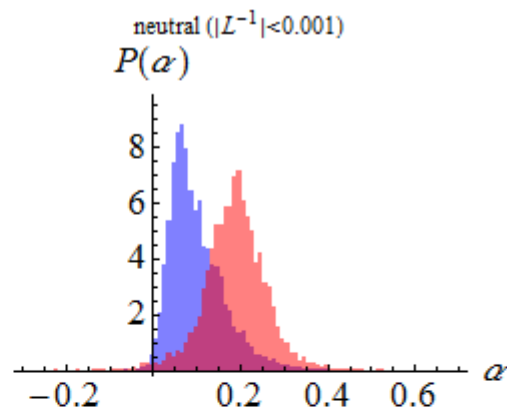
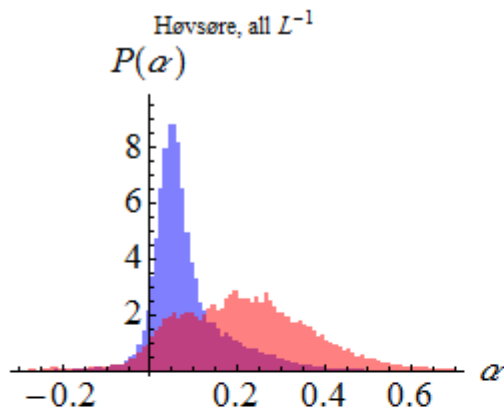
distribution, at different sites



α depends on

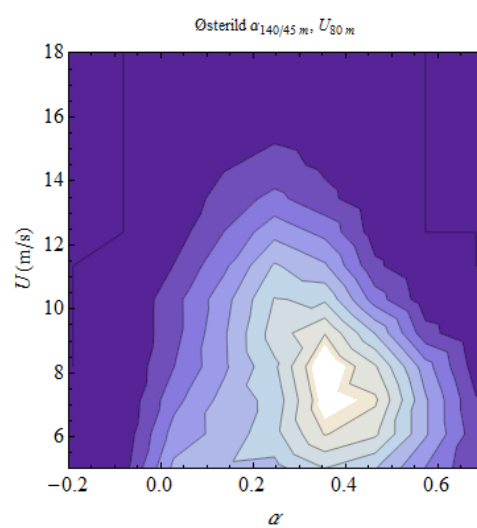
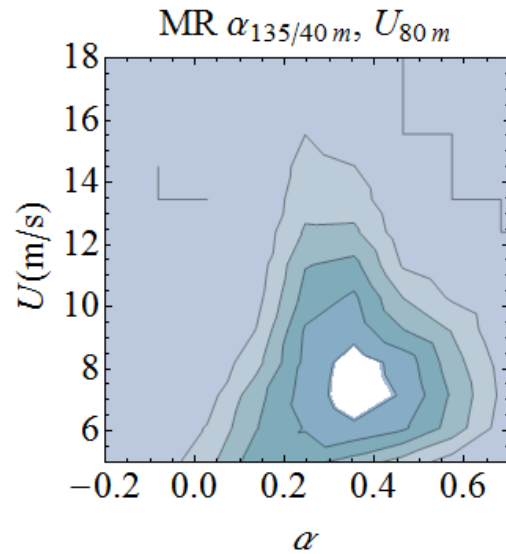
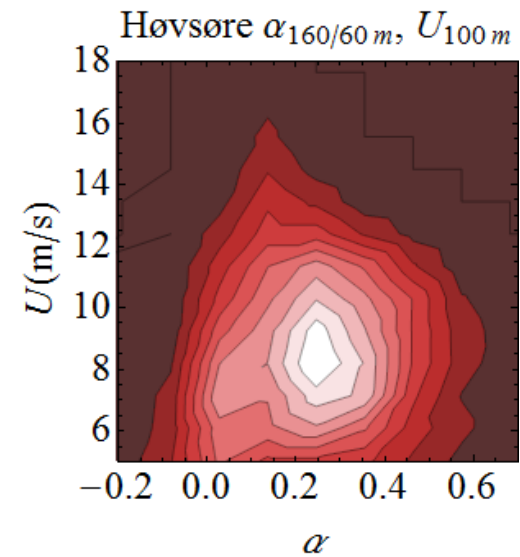
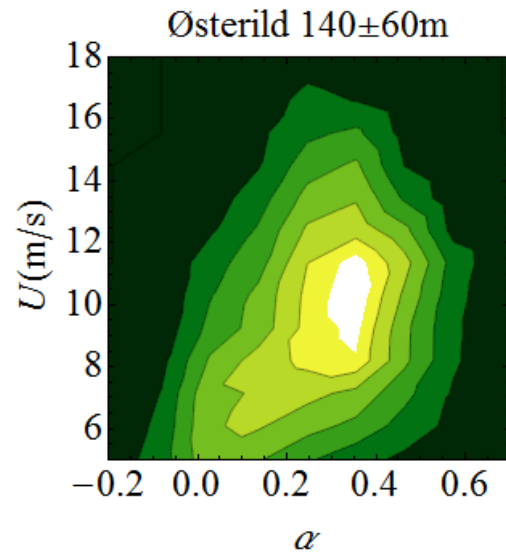
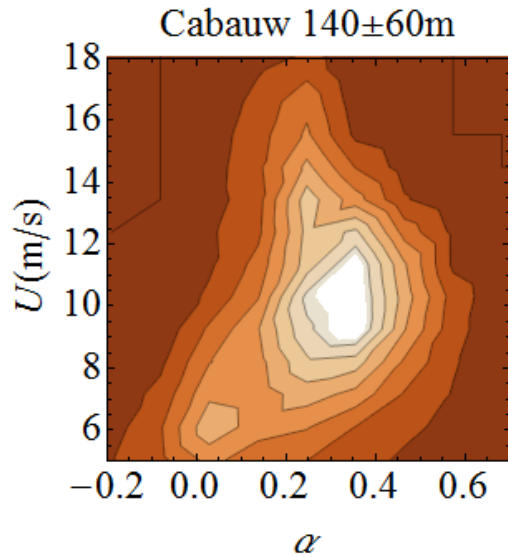
- $z/z_{0\text{eff}}$
- U
- ...

Stability and shear...



Contrast to ASL un/stable behavior...have theory for ASL...

$P(\alpha, U)$



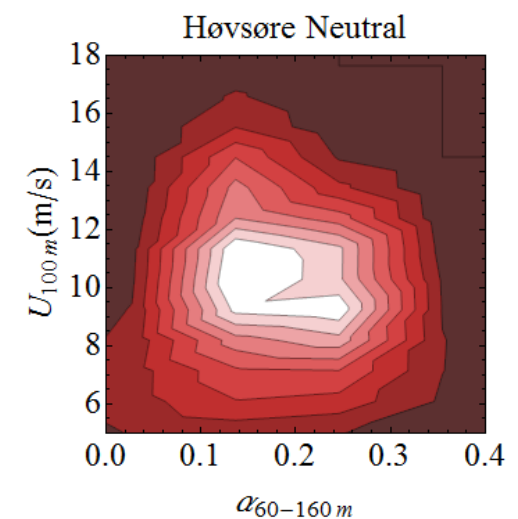
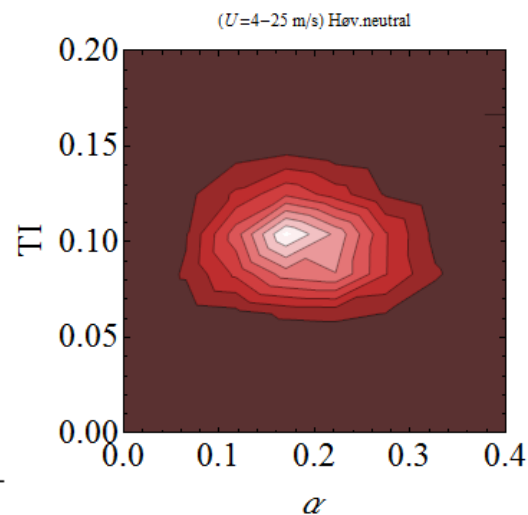
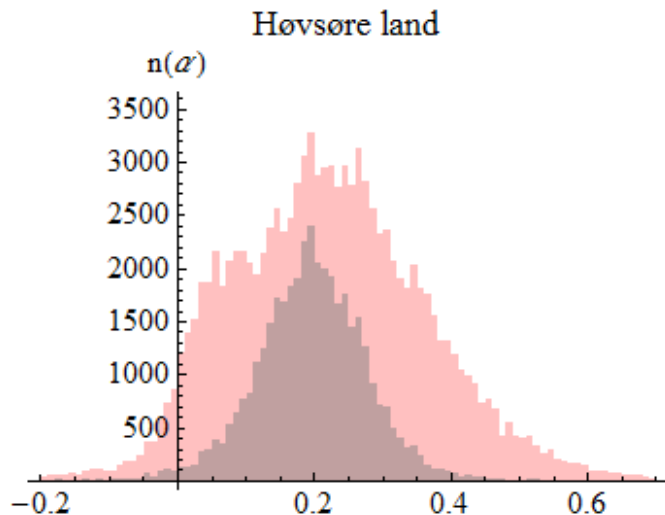
Effective roughness: via shear, above ASL

- Peak of distribution: idea of effective roughness
 - since above ASL, surface roughness does not apply
 - Stability, terrain/inhomogeneity & transport effects

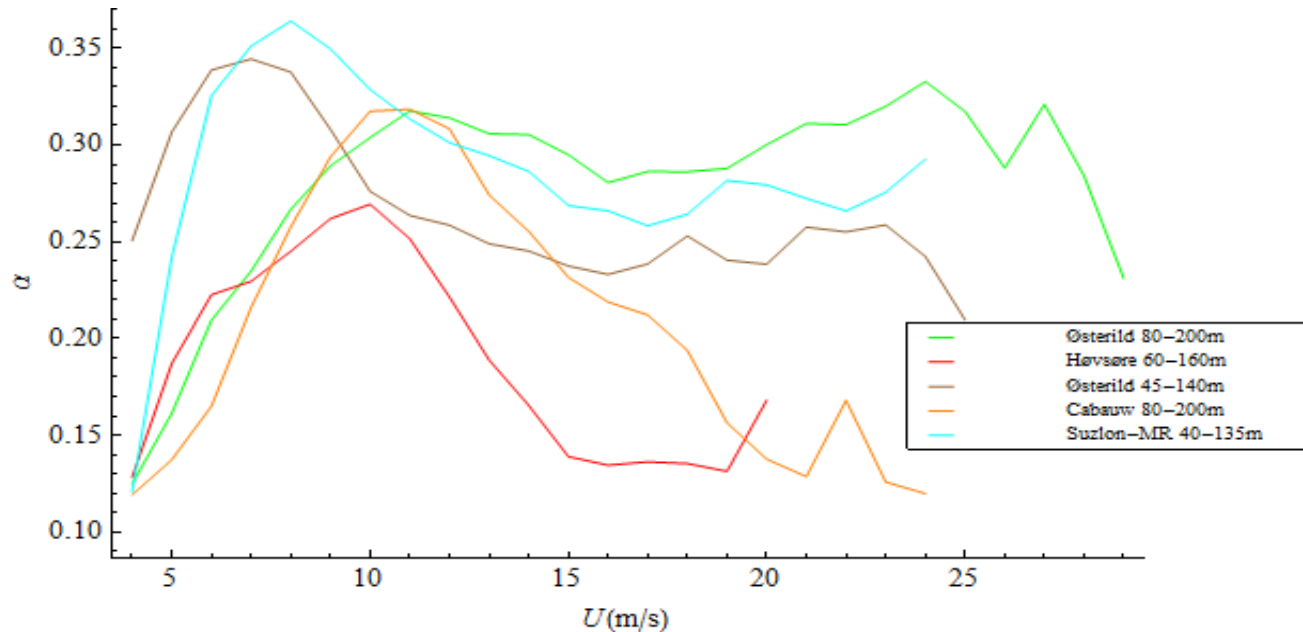
via $P(\alpha)$ over all U ;

$P(TI)$ over all U ;

$P(U)$ over all TI

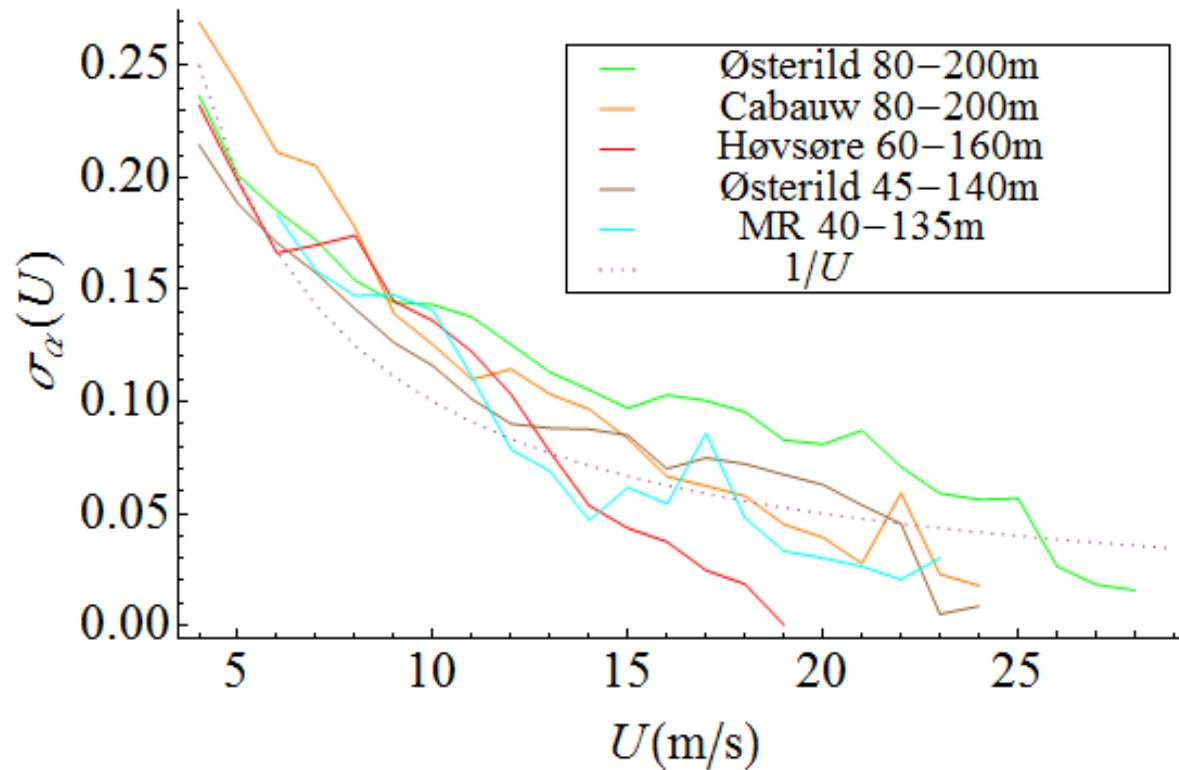


Mean Shear Exponent $\langle \alpha | U \rangle$, with site :



- increase with U from cut-in;
- peak at moderate U , then constant section;
- filter out low TI (bottom half):
 - **Reach peak α then \sim constant with U (not shown)**
 - lower $(z/z_{0,\text{eff}}) \rightarrow$ larger peak α ,

Variability in shear : σ_α / U



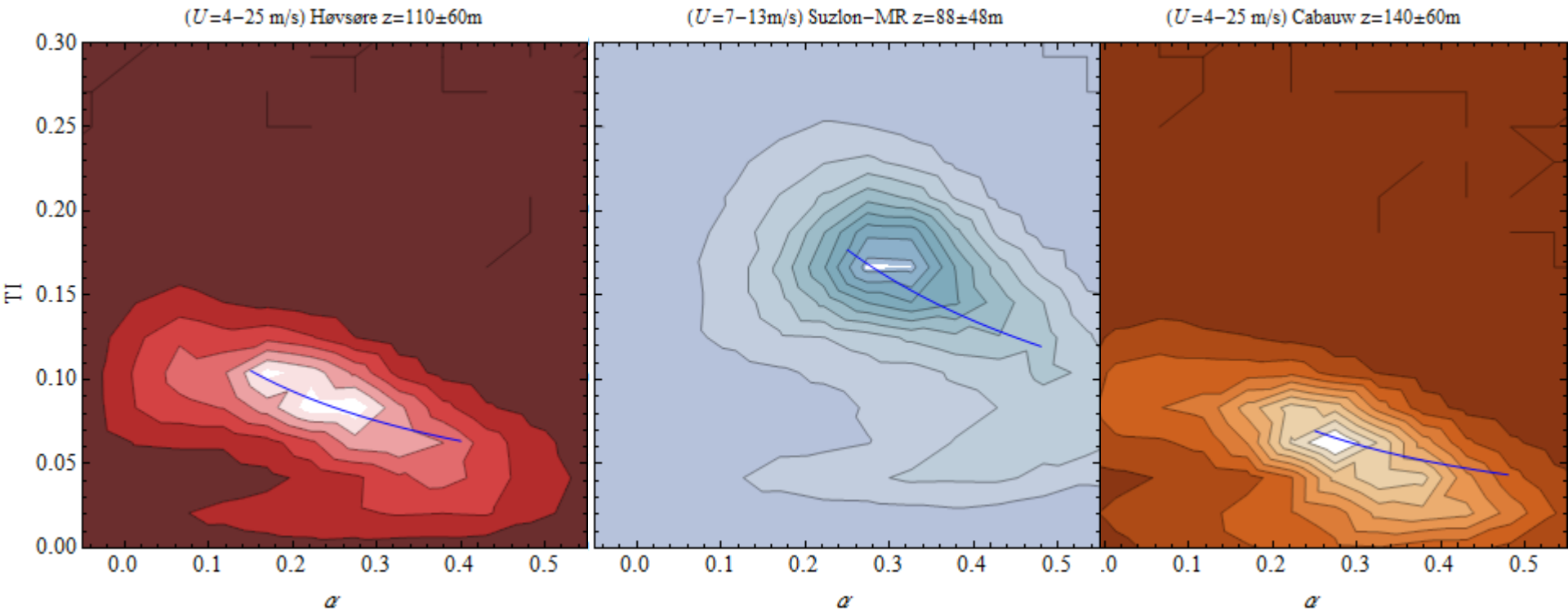
systematic behavior:

$$\sigma_\alpha (U) \sim 1/U$$

(+minor z/z_{0eff} dependence)

TI(shear)

Due to stability, transport...above ASL



Form for mean TI(*alpha*) [or α (TI)]
 based on stability-modified profile/TKE:

$$I = \frac{I_0}{1 + c_\alpha(\alpha - \alpha_0)}$$

'simple' application to power curves:

- Shear variability (σ_α / U)
 - already have modified Weibull
 - affects equivalent H.H. distribution
(equivalent hub-height mean speed)
- TI-shear relation
 - use to modify equivalent wind speed

$\alpha \leftrightarrow TI$ assumption/use

normal stress-budget is not always this simple

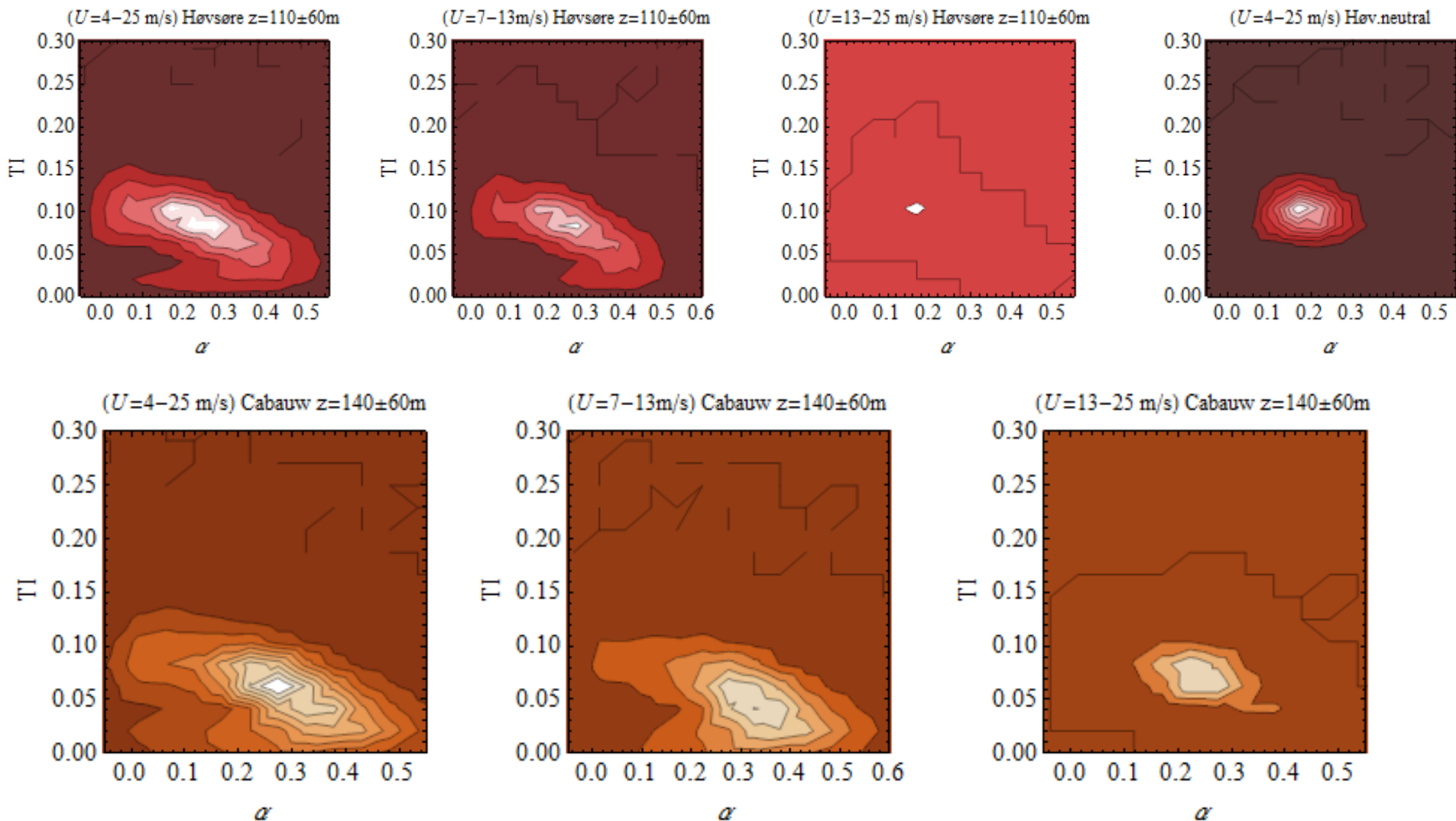
- not just stability which influences TI (at low speeds)
- TI 'flux' possible (even when neutral, and $z < \sim 0.2h$)
 - also for more complex terrain/higher roughness
- Asymptotic limit: when dissipation, shear production scale(U) similarly
 - Then ok assumption (better at high U over flat surface)
- recall 10-minute TI contains some random noise
(avg. of second moment!)

Extras follow...

P(Shear|TI)

All stabilities

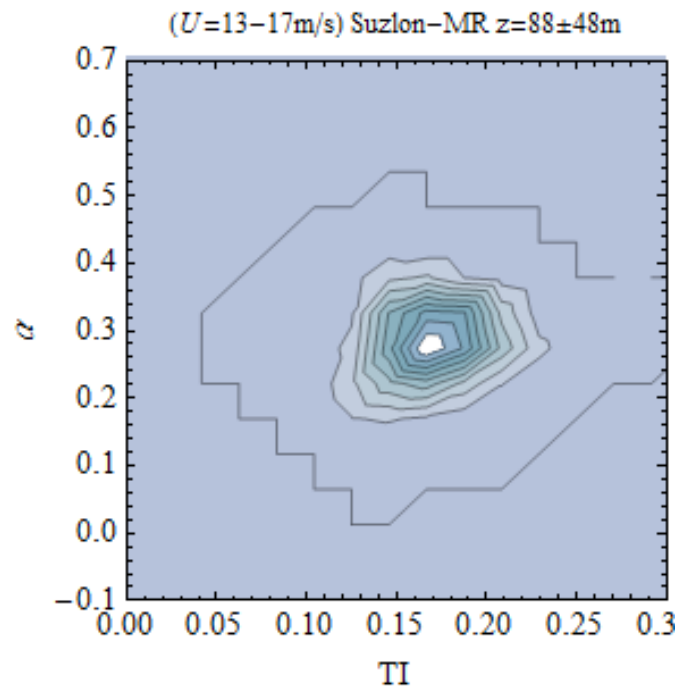
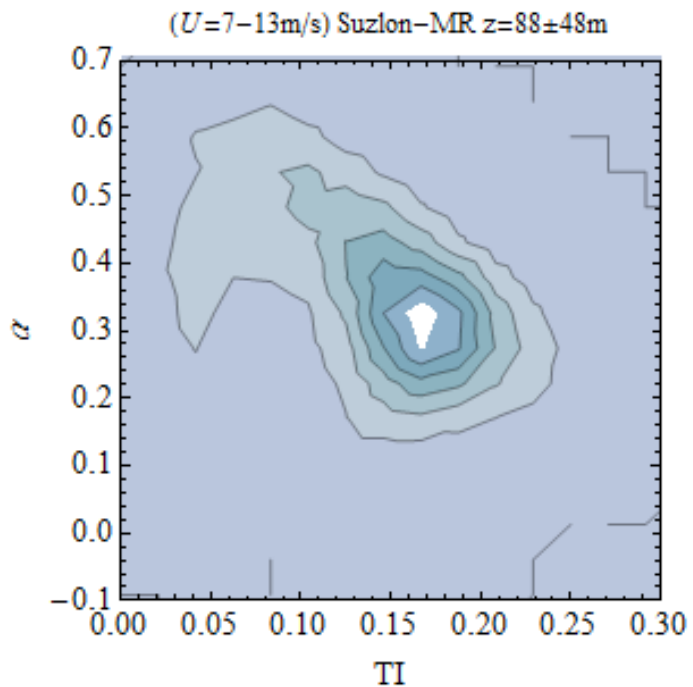
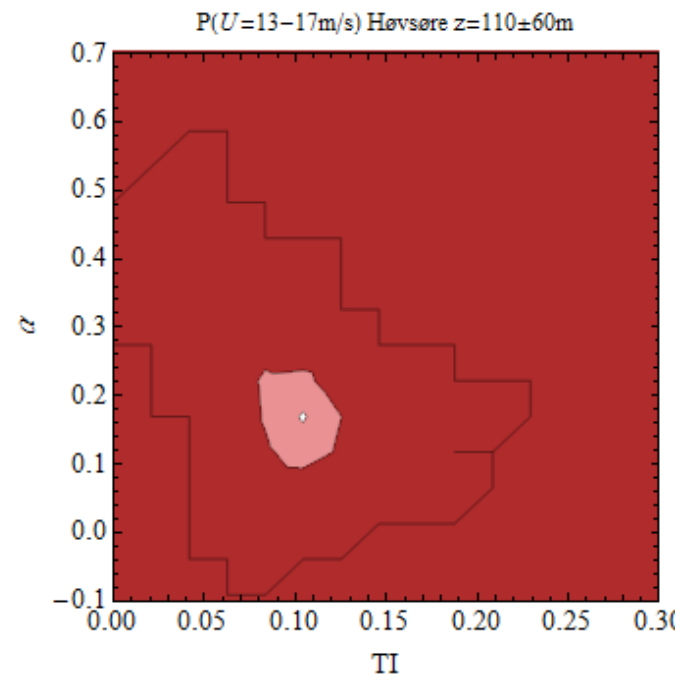
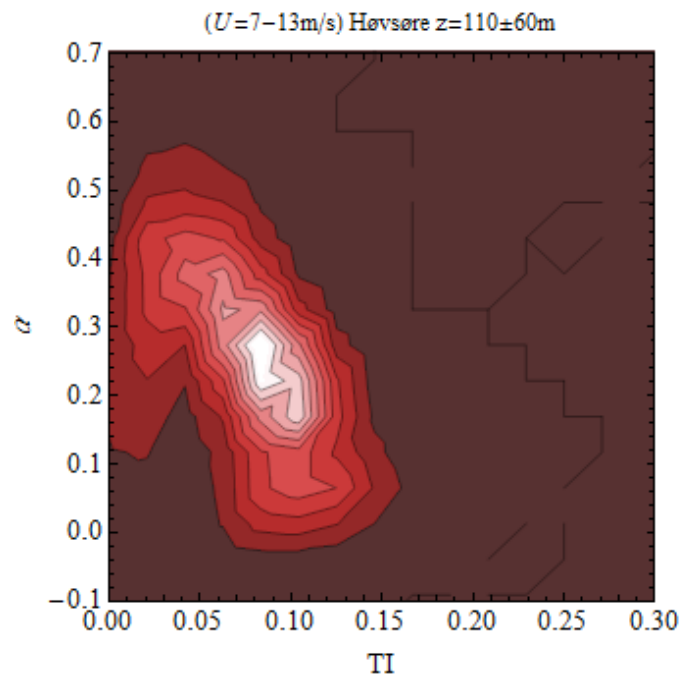
(neutral: no trend)



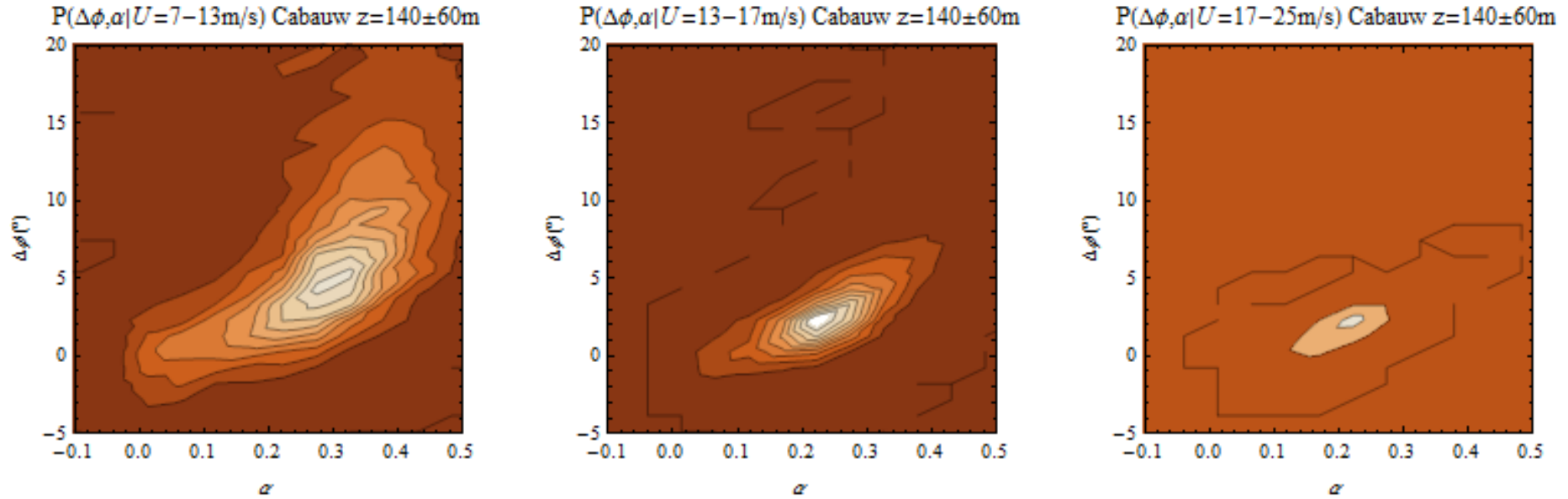
P(Shear|TI)

All stabilities

(neutral: no trend)

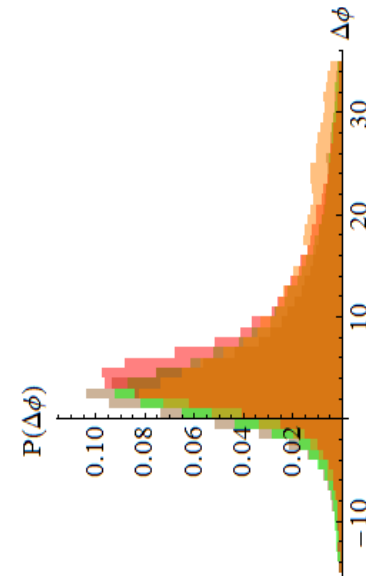
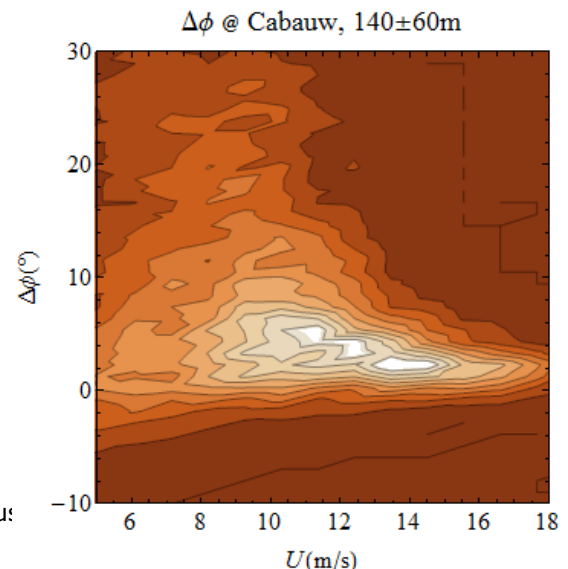


Distribution of Veer with Mean wind speed and Shear

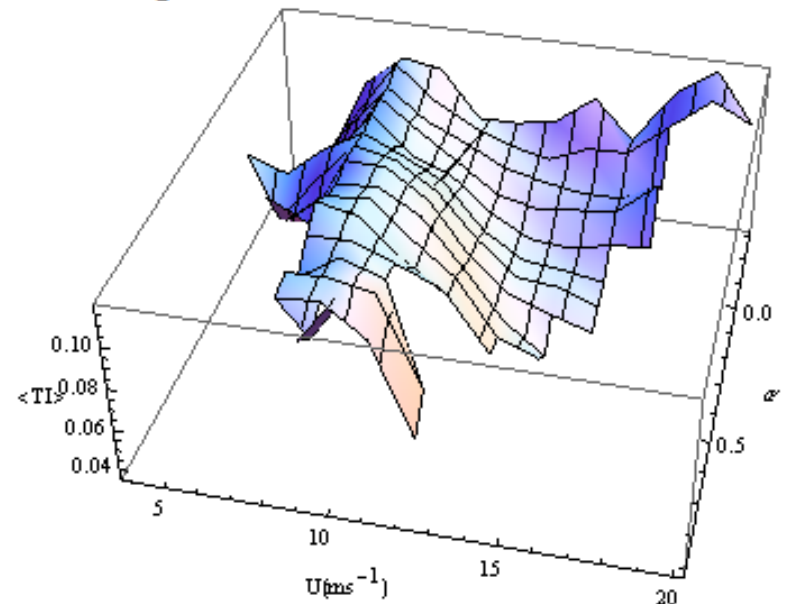
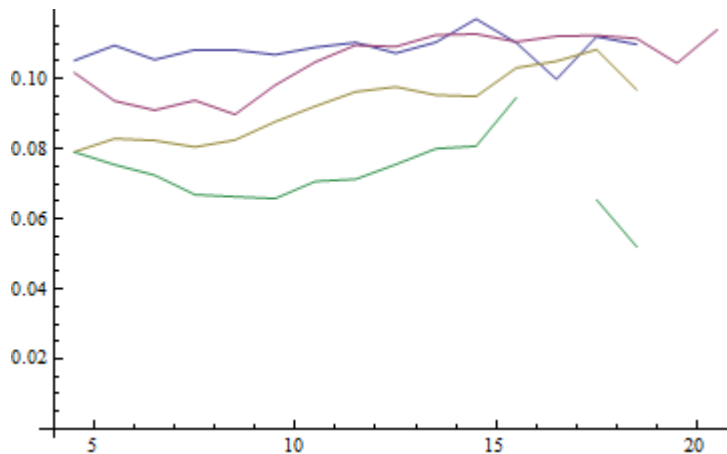
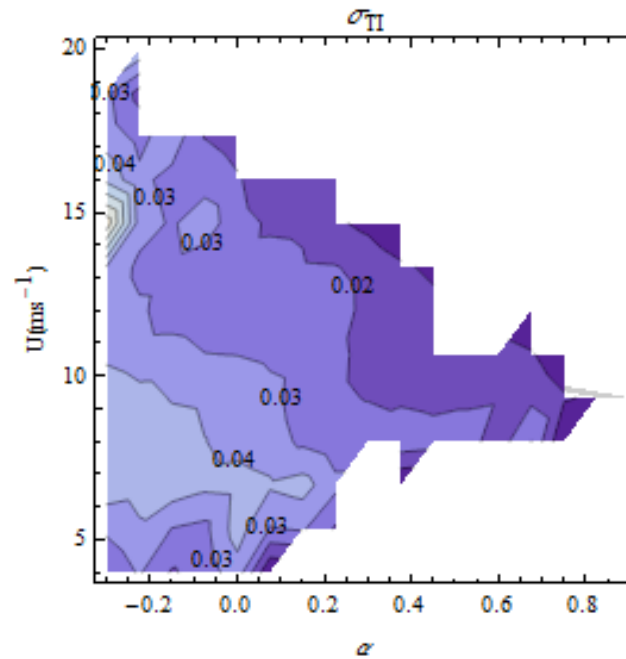
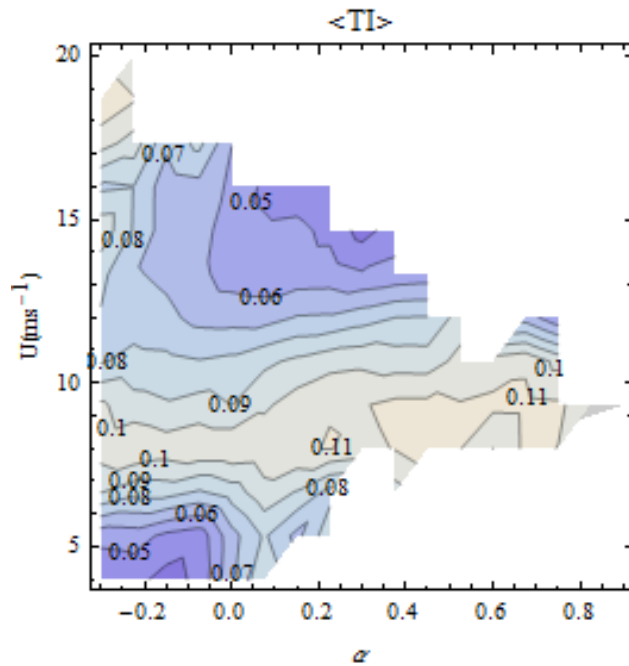


Shear-veer correlation is simpler at higher mean wind speeds and z/z_0 .

Correlation of $\sigma_{\Delta\phi}$ with U
(non-Ekman contributions...)



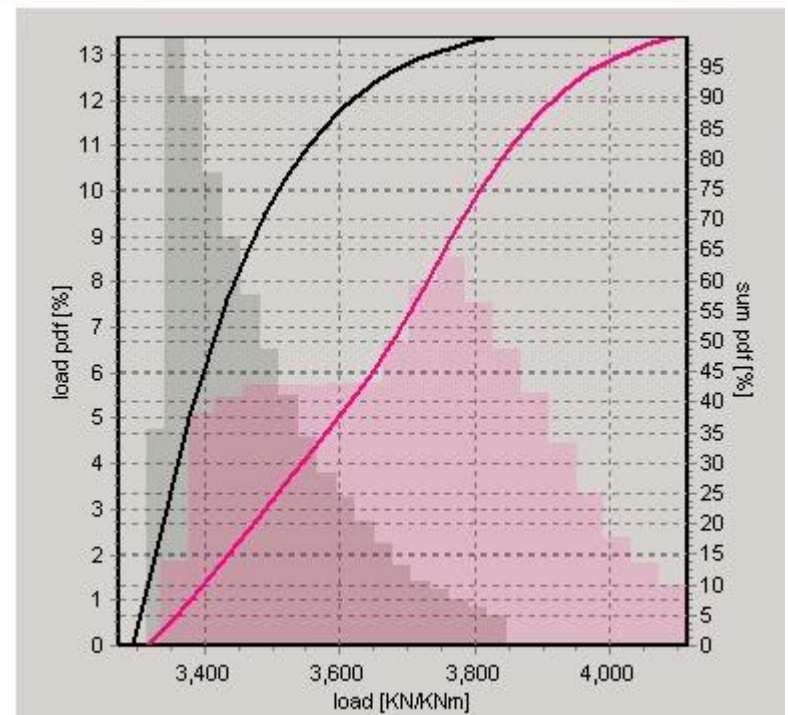
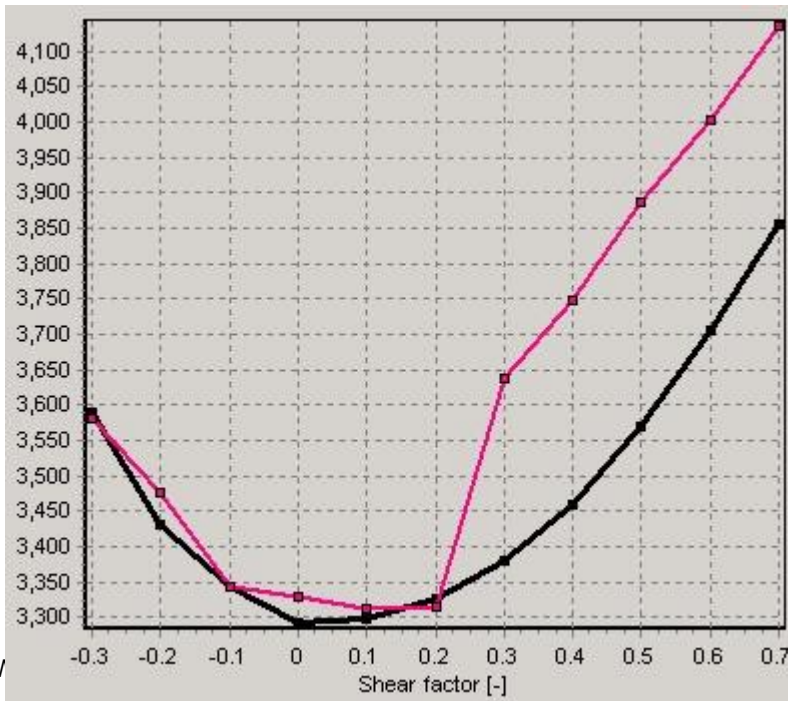
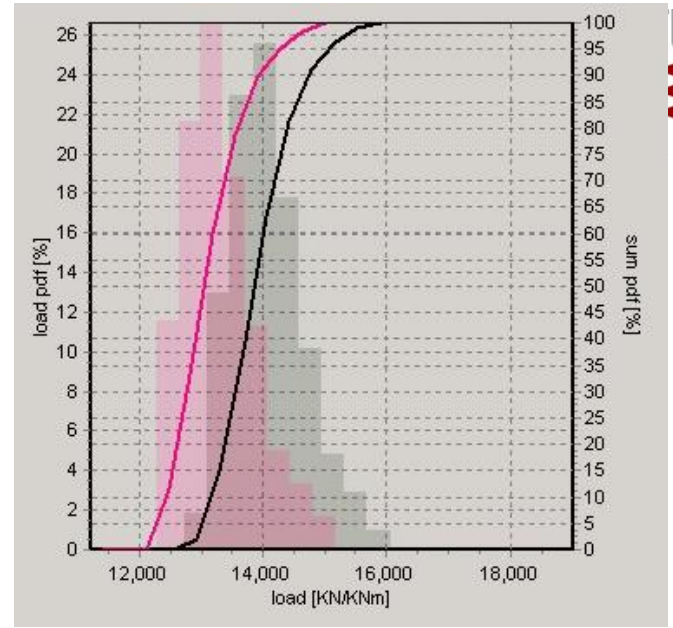
Shear-TI trend (Høvsøre, land, all stabilities)



Shear exp. into loads...

Flapwise Blade root 1Hz equiv. moments (Mf)

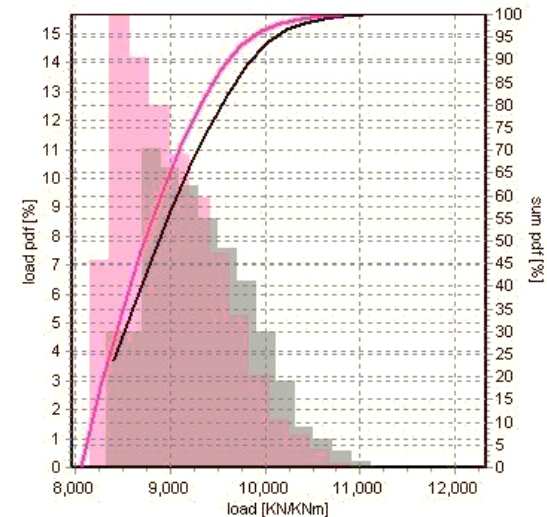
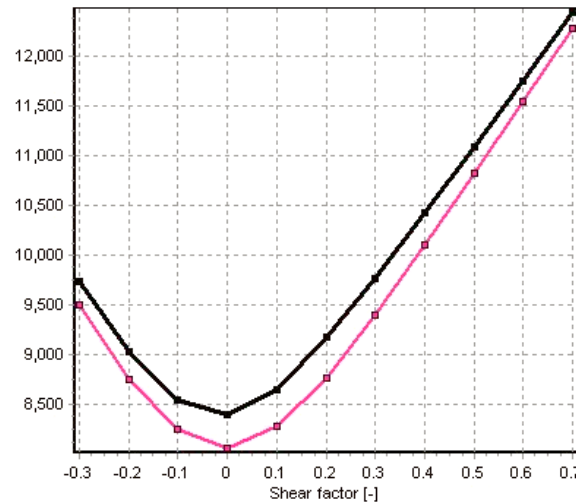
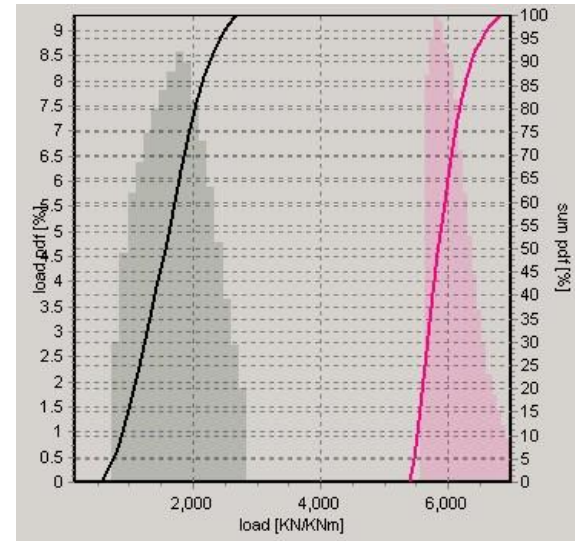
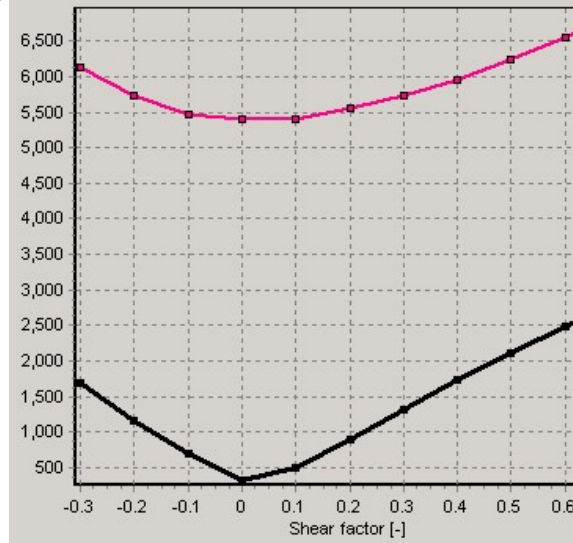
25m/s,
5m/s



Shear exp. into loads...

Flapwise Blade root 1Hz equiv. moments (Mf)

startup
15m/s,



Shear exp. into loads...

Tower bottom 1Hz equiv. moments
15m/s,

Recommendations

- Depends on the turbulence class (per eff.roughness); shear exponent α used in normal turbulence load cases must be updated:
 -
- For operational load cases near rated wind speed, over large rotors $>100\text{m}$, a veer of $5\text{-}10^\circ$ should be used (not over forest)